# DEFENCE DÉFENSE

# **An Efficient 3-D Beamformer Implementation** for Real-time 4-D Ultrasound Systems **Deploying Planar Array Probes**

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## Introduction

sity of the hea ming process required in 3-D and asound systems is a major limitation in a chieving real time system hance. The full 3-D beamformers require substantial processing powe not inherently given to parallelization. In addition, memory note for beat for the second system of the second system of the second system part for head for the second system of the second ners are large

relty of DRDC's decomposition approach reduces the 3-D beamformer imple efficient 2-stage line array process. The generic concept applies to all regular shaped 2-D or

3-D arrays. For example, a ical array is of line arrays and cire rays, and in the ap rest (a pl<u>anar array), it</u> sed into two es of line arrays ent work is part of RDC's TIF Funding and the

ADUMS (IST-2001-34088) ping a fully digital 4-D (3-D + time) ound system for

The 3-D Ultrasoun System is co of 5 major modules

1. The data-acquisition and coded pulse

- 2. The 16 x 16 element planar array probe 3 The efficient softare implem entation of the

# **Transmit Functionality**

alitv is d illuminate the entire volume of interest with 9 (3 x 3) and up to 49 (7 x 7) firings. ations and coding multiple nds into a single pulse allows tiple focal depths with a sir



Reconstructed 3D Angular Sector by the Phase Planar Array

Ultrasound Probe Planar Phase Array with 32x32-sensor



ion is done through 36 (6 x 6) elements and the RF signals are received by the full 256 nts fo the planar phased array ultrasound probe nit patterns are preloaded into the memory of the unit a is delivered to the PCI bus of the nodes of the multi-node PC cluster on unit is 64 channels, hence 4 firings are required to collect data for the full aperture





2 stage process greatly reduced the complexity nd simplified the parallelization operation

# **The Beamformer** Implementation

nal beamformer for the planar array requires a 3-D steering r that is defined by Equation 1;

 $\mathsf{B}(\mathsf{f}_{i},\mathsf{A},\mathsf{B},\mathsf{R}) = \sum_{i=1}^{N-1} X_{nm}(\mathsf{f}_{i}) \cdot S_{nm}(\mathsf{f}_{i},\mathsf{A},\mathsf{B},\mathsf{R})$ 

The steering vector, S<sub>mn</sub>(f<sub>#</sub>A,B,R) is expressed by the following equa

 $S_{nm}(f_iA,B,R) = \exp(i2\pi f_{i}\pi_{nm}(A,B,R))$  $\tau_{nm}(\mathbf{A},\mathbf{B},\mathbf{R}) = \frac{\sqrt{\mathbf{R}^2 + \mathbf{X}_m^2 + \mathbf{Y}_n^2 - 2\mathbf{x}_m \cos A} - 2\mathbf{y}_n \cos B - \mathbf{R}}{2\mathbf{y}_n \cos B - \mathbf{R}}$ 

ence between the 3-D implementation and the efficient beamformer tation is shown in Equation 3. Equation 2 is approximated to Equation 3, resulting in a simplified 2-stage implementation. For the element (m,n  $(X_m Y_n)$ , the exact beamforming delay  $\tau_{am}$  is approximated to Equation 3. tion. For the element (m,n) in

> $\int_{nm}(A,B,R) = \frac{\sqrt{R^2 + X_m^2 - 2x_m R\cos A - R}}$  $\sqrt{R^2 + y_n^2 - 2y_n R\cos B - R}$

The de ion of the 3-D beamforming into two linear steps, is

$$\mathsf{B}(\mathsf{f}_{\mu}\mathsf{A},\mathsf{B},\mathsf{R}) = \sum_{m=0}^{N+1} \mathsf{S}_{n}(\mathsf{f}_{\mu}\mathsf{A},\mathsf{B},\mathsf{R}) \cdot \left[\sum_{m=0}^{M-1} \mathsf{X}_{mn}(\mathsf{f}_{j}) \cdot \mathsf{S}_{m}(\mathsf{f}_{\mu}\mathsf{A},\mathsf{R})\right]$$

ors expressed as

$$|(\mathbf{f}_{p}\mathbf{A},\mathbf{R})| = \exp\left\{j2\pi f_{j}\left(\frac{\sqrt{\mathbf{R}^{2}+\mathbf{y}_{n}^{2}-2\mathbf{y}_{n}}\operatorname{RecosB}^{2}+\mathbf{R}}{c}\right)\right\}$$

$$|(\mathbf{f}_{n}\mathbf{R},\mathbf{R})| = \exp\left\{j2\pi f_{j}\left(\sqrt{\mathbf{R}^{2}+\mathbf{y}_{n}^{2}-2\mathbf{y}_{n}}\operatorname{RecosB}^{2}+\mathbf{R}\right)\right\}$$

 $S_n(f_i, B, R) = exp$ 

The summation in square brackets is equal to a line array beamformer along the X-axis. This term is a vector which can be denoted as B<sub>a</sub>(f<sub>#</sub>A,R). This can

 $\mathsf{B}(\mathsf{f}_{\boldsymbol{\mu}}\mathsf{A},\mathsf{B},\mathsf{R}) = \sum^{\mathsf{N}:1} \mathsf{B}_n(\mathsf{f}_{\boldsymbol{\mu}}\mathsf{A},\mathsf{R}) \cdot \mathsf{S}_n(\mathsf{f}_{\boldsymbol{\mu}}\mathsf{B},\mathsf{R})$ 

ar beamforming along the y-axis, with mplementation is easily parallelized and B\_(f\_A,R) as input. This 2 stage in

# **Experimental Results**





















### Multi-node Cluster



The beamformer is directly imple processing cluster.

The multi-node cluster uses a high-speed fibre opt Myranet network

The Cluster is constructed from cor The Cluster is fully scalable.

The Cluster is scalable, and supports high data throughpu

mentation



## Conclusion

This poster presents the components of a 4-D real-t nt 3-D system, including the transmission functionality, the efficiency tion and the mapping of this sing platfo

